

# The Dictionary ADT

EECS 214, Fall 2018

# The Dictionary ADT: values and operations

Looks like: {a: 6, b: 7, c: 8}

Signature:

```
interface DICT[K, V]:  
  def mem?(self, key: K) -> bool?  
  def get(self, key: K) -> V  
  def put(self, key: K, value: V): VoidC  
  def del(self, key: K): VoidC  
  def empty?(self): bool?
```

## The Dictionary ADT: laws

$$\{\}.empty?() \Rightarrow \top$$

$$\{k_1:v_1, \dots\}.empty?() \Rightarrow \perp$$

$$\{k_1:v_1, \dots, k_j:v_j, \dots\}.mem?(k_j) \Rightarrow \top$$

$$\{k \neq k_j\} \{k_1:v_1, \dots\}.mem?(k) \Rightarrow \perp$$

$$\{k_1:v_1, \dots, k_j:v_j, \dots\}.get(k_j) \Rightarrow v_j$$

$$\{k \neq k_j\} \{k_1:v_1, \dots\}.get(k) \Rightarrow \text{error!}$$

$$\{d = \{k_1:v_1, \dots, k_j:v_j, \dots\}\} d.put(k_j, v) \{d = \{k_1:v_1, \dots, k_j:v, \dots\}\}$$

$$\{d = \{k_1:v_1, \dots\} \wedge k \neq k_j\} d.put(k, v) \{d = \{k_1:v_1, \dots, k:v\}\}$$

$$\{d = \{k_1:v_1, \dots\}\} d.del(k_j) \{d = \{k_1:v_1, \dots, k_{j-1}:v_{j-1}, k_{j+1}:v_{j+1}, \dots\}\}$$

$$\{d = \{k_1:v_1, \dots\} \wedge k \neq k_j\} d.del(k) \{d = \{k_1:v_1, \dots, \}\}$$

## Law breakdown: *mem?*

If the key we are looking for is present, we get true:

$$\{k_1:v_1, \dots, k_i:v_i, \dots\}.mem?(k_i) \Rightarrow \top$$

If the key we are looking for is not equal to any of the keys in the dictionary, we get false:

$$\{k \neq k_i\} \{k_1:v_1, \dots\}.mem?(k) \Rightarrow \perp$$

## Law breakdown: *get*

If we try to lookup a key present in the dictionary, we get its associated value:

$$\{k_1:v_1, \dots, k_i:v_i, \dots\}.get(k_i) \Rightarrow v_i$$

If we try to lookup a key that isn't among the dictionary's keys—that's the precondition  $k \neq k_i$ —then it returns a result that indicates that the key wasn't found:

$$\{k \neq k_i\} \quad \{k_1:v_1, \dots\}.get(k) \Rightarrow \text{error!}$$

## Law breakdown: *put*

If we put a key that's already present, its associated value gets replaced:

$$\{d = \{k_1:v_1, \dots, k_j:v_j, \dots\}\} d.put(k_j, v) \{d = \{k_1:v_1, \dots, k_j:v, \dots\}\}$$

If we put a key that's absent, the new key and value association is added:

$$\{d = \{k_1:v_1, \dots\} \wedge k \neq k_j\} d.put(k, v) \{d = \{k_1:v_1, \dots, k:v\}\}$$

## Law breakdown: *del*

If we delete a key that's present, it gets removed:

$$\{d = \{k_1:v_1, \dots\}\} d.del(k_i) \{d = \{k_1:v_1, \dots, k_{i-1}:v_{i-1}, k_{i+1}:v_{i+1}, \dots\}\}$$

If we delete a key that's absent, nothing happens:

$$\{d = \{k_1:v_1, \dots\} \wedge k \neq k_i\} d.del(k) \{d = \{k_1:v_1, \dots, \}\}$$

Next: a data structure for dictionaries