## Polynomial Arithmetic

 using EastrountrenanformSubmitted by
Ashish Gupta
98131
Group 3

## Description

The assignment focuses on polynomial arithmetic using the operation of Fast Fourier Transform.
Generally polynomial operations like multiplication and division may take $\mathrm{O}(\mathrm{n} 2)$ time using ordinary methods but using the methods of FFT, the above operations can be done in $\mathrm{O}(\mathrm{nlog}(\mathrm{n}))$ time.

## Operations Implemented

The following operations on polynomials have been implemented :

- Addition
- Subtraction
- Multiplication
- Reciprocal
- Division

Reciprocal has also been achieved on $\mathrm{O}(\mathrm{nlog}(\mathrm{n})$ ) time using some shifting techniques and properties of the iterative formula used for computing the reciprocal.

## Usage of Program

Once the program is started, it will ask which operation is to be performed.
After specifying the operation, it will input the required polynomial(s).
Example polynomial : $4 \times 3+3 \times 2+2 x+1$
For entering the polynomial , it asks for the following info:
Polynomial size : specify the number of coefficients ( 4 in the above example )
Coefficients : Enter the coefficients in decreasing order of degree separated by space ( 4321 in the above example )

After entering the above data, the result will be displayed.
Enter "end" at the operation input to exit the program.

## Efficiency Analysis

The following operations were analysed for running time :

- Addition
- Multiplication
- Reciprocal


## Addition

Addition takes place in $\mathrm{O}(\mathrm{n})$ time.
Following graph was obtained for addition :


## Multiplication

Multiplication takes place in $\mathrm{O}(\mathrm{nlog}(\mathrm{n}))$ time.
Following graph was obtained for multiplication :


## Reciprocal

Reciprocal takes place in $\mathrm{O}(\mathrm{nlog}(\mathrm{n}))$ time using some shifting techniques. Following graph was obtained for reciprocal.


END OF DOCUMENT

